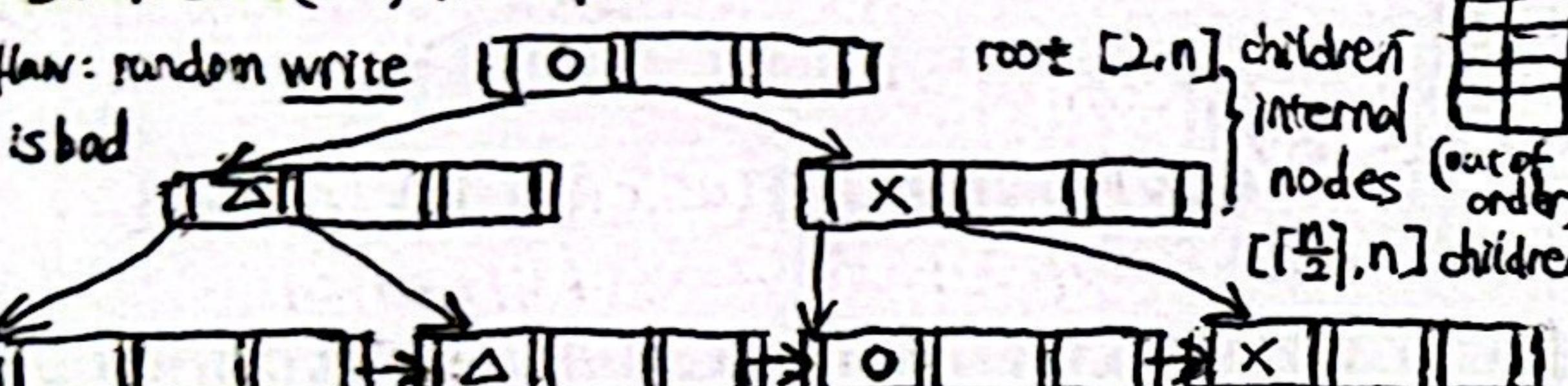


7. Indexing

search key
clustering/primary index: 检索键顺序 = 文件内顺序
nonclustering/secondary index: 不同
dense v.s. sparse: 是否每个 search key 都有 index
multilevel index → binary search
nonunique search key

B+ Tree: $(n-1)sk + n \text{ ptr}$

flaw: random write
is bad



range search: $\text{findRange}(lb, ub) \geq \lceil \frac{n-1}{2} \rceil$ values leaf nodes (in order)

update = delete old + insert new

find → delete underflow

merge with sibling overflow

redistribute

Complexity (height of tree, N entries)

best (all-full): $H_{\text{min}} = 1 + \log_2 \lceil \frac{N}{n-1} \rceil$

worst (half-full): $H_{\text{max}} = 2 + \log_2 \lceil \frac{N}{(n-1)/2} \rceil$

B+ Tree 文件插入: 本真表插入

bulk loading: 一次插入多个项 (有序)

cost: no rear 3(br+bs) + 4th
recursive 2(br+bs) log₂(br+bs) + brs + bs

overflow chaining, possibly overflow

(closed addressing)

skew: # of ~: $n_h = \min(\frac{bs}{bp}, M-1)$

$n_h \geq M \rightarrow$ recursive partitioning

$M > \sqrt{bs}$ not →

partitions → build + probe

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